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lows that of Figure 1. Changing D, to a Schottky diode reduces the recoverytail voltage that R, must dissipate. Add R, to draw a keep-alive current of 100 μA through Q_1 and Q_2 , speeding turnon. These keep-alive currents need not affect the timing. You can cancel out their effect with a slight reduction in the value of R_3 . Fitting Q_2 and Q₄ with Schottky clamps D₂ and D₃, respectively, keeps the transistors out of saturation. These changes improve high-speed performance (Figure 4).

Although improved, the circuit still relies on D, for the final tail of recovery. To eliminate this problem, you can replace D₁ with a fourth transistor, Q₄ (**Figure 5**). Because transistors Q_1 and Q, are slightly conducting, a voltage BECAUSE Q, AND Q, ARE SLIGHTLY CON-DUCTING, A VOLTAGE ONE DIODE DROP **BELOW THAT OF** SUPPLY V, IS ALWAYS PRESENT AT THEIR BASES.

one diode drop below that of supply V, is always present at their bases. You filter this voltage with R₅ and C, and provide it as a bias to the base of Q_4 . This step keeps Q₄ nearer the threshold of conduction than would a diode to supply V₁. When source V₂ changes to a negative state, Q4 is fully off and draws no current. When V, changes to a positive state, the emitter of Q₄ conducts at voltages above V, to catch the recovery transition, further reducing the recovery-tail amplitude.

 R_6 may be used to limit Q_4 's base current, but its omission is acceptable if source V2 has sufficient output resistance. It may be destructive to apply source V2 swings large enough to cause excess reverse voltage across the Q_4 base-emitter junction. Q_3 and Q₄ can share the same package. These additions further improve the pulse generator's high-speed performance (Figure 6). EDN

Implement an audio-frequency tilt-equalizer filter

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In the 1970s, Quad Ltd developed a "tilt" audio-tone control, which first appeared on the company's model 34 preamplifier. The tilt control tilts the frequency content of the audio signal by simultaneously boosting the treble and cutting the bass frequencies, or vice versa (Figure 1). Only one knob is needed to tilt the frequency response around a pivot frequency, F_p (Figure 2).

Quad Ltd never published a transfer function for the filter. You need a Spice simulation and many trial-and-error cycles to tune it to your desired response. By deriving the

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Figure 1 In a tilt audio-tone control, the tilt control tilts the frequency content of the audio signal by simultaneously boosting the treble and cutting the bass frequencies, or vice versa.

transfer function, you can easily select the component values. Surprisingly, the transfer function also shows how you can make the tilt response asymmetric, with different amounts of boost and cut. You begin deriving the transfer function by expressing the input versus the output as a function of dc-feedback resistor, R_E, and Z, the complex impedance of the RC branches:

$$\frac{V_{O}}{V_{I}} = \frac{X \times (Z - R_{F}) - Z \times (P_{I} + R_{F})}{X \times (Z - R_{F}) + R_{F} \times (Z + P_{I})},$$

where X indicates the wiper position of potentiometer P, and the values of the resistors and capacitors define Z:

$$Z=R+\frac{1}{i\times 2\times \pi\times F\times C}$$

The frequency response in Figure 2 is for the extreme wiper positions, where X=0 or P₁. All of the other responses, with 0 less than X and X less than P₁, lie between those curves. To get the frequency responses in decibels, multiply the log of the absolute value of the transfer function by 20: $20\log(|T_E|)$. To get a log/log scale on the graph, substitute 10^F for F on the X axis. Pivot frequency F_p depends on component value, including the setting of potentiometer P_1 , as it sweeps between an X value of 0 and P₁, where R_E must be greater than R:

$$F_{P} = \frac{\sqrt{(P_1 + 2 \times R_F)}}{2 \times \pi \times C \times \sqrt{(R_F - R)} \times \sqrt{(P_1 \times (R + R_F) + 2 \times R \times R_F)}}$$

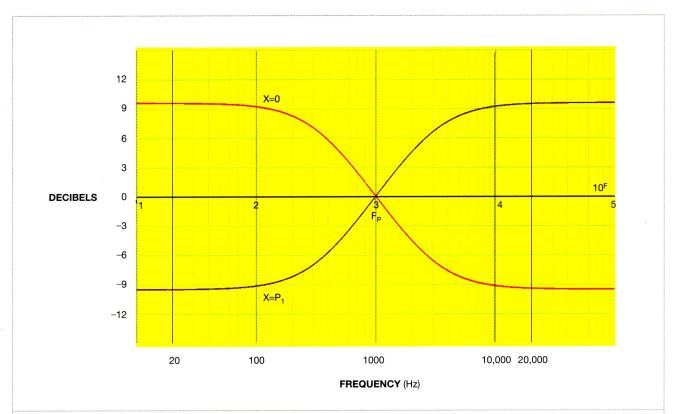
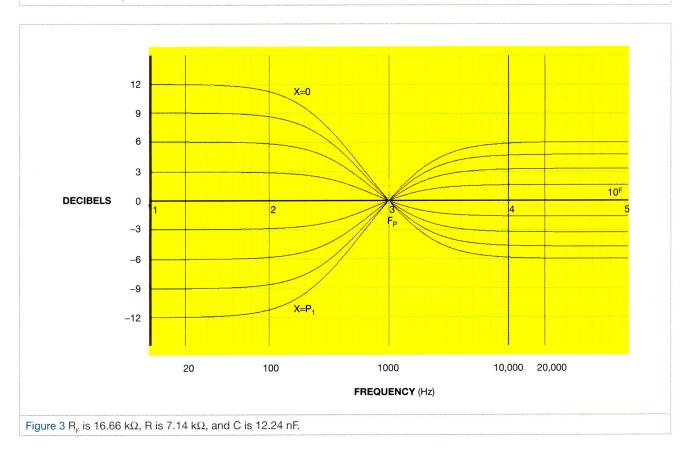


Figure 2 This frequency response is for the extreme wiper positions, where X=0 or P_1 . All of the other responses, with 0 less than X and X less than P_1 , lie between these curves.



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To calculate component values, you first define the maximum low-boost asymptote as M_L , when the frequency goes to 0 Hz and the potentiometer's value is also 0Ω . You then define the maximum high-boost asymptote as M_H , when the input frequency goes to infinity, and set the potentiometer to its maximum value. This step gives the component values for R_E , R, and C:

$$\begin{split} R_F &= \frac{P_1}{M_L - 1}; \\ R &= \frac{P_1}{M_H \times M_L - 1}; \\ C &= \left\{ \boxed{\left(M_L - 1\right) \times \sqrt{\left(M_L + 1\right)} \times \left(M_H \times M_L - 1\right)^{3/2}} \times \sqrt{\left(\frac{M_H - 1}{\left(M_L - 1\right) \times \left(M_H \times M_L - 1\right)}\right)} \right\} / \\ &= 2 \times \pi \times M_L \times P_1 \times F_P \times \left(M_H - 1\right) \times \sqrt{\left(M_H + 1\right)}. \end{split}$$

For the **equations** to work, M_L-1 and $(M_H\times M_L-1)$ must be greater than 0. You can choose any reasonable value of potentiometer P_1 . For example, select a P_1 value of 50 k Ω , a desired pivot frequency of 1 kHz, a maximum low-frequency boost of 4, and a maximum high-frequency boost of 2. The **equations** yield an R_F of 16.66 k Ω , an R of 7.14 k Ω , and a C of 12.24 nF (**Figure 3**).

You take 20 times the log of M_L to get the response in decibels, so an M_L of 4 is the 12-dB maximum low-frequency boost, and an M_H of 2 represents the 6-dB maximum high-frequency boost. When you normalize the resistor and capacitor values to standard values, you get only a minor error in your desired response. By defining the variables M_L and M_H , you can make tilt equalizers that have an asymmetric response between boost and attenuation.

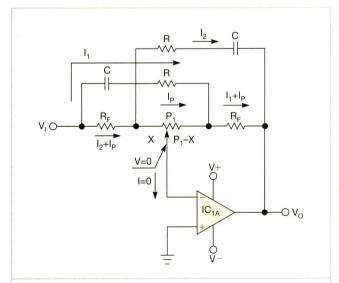


Figure 4 Voltages $V_{_{\rm I}},\,V_{_{\rm O}},\,$ and V are all referred to ground.

THE GOAL IS TO FIND $V_{\circ}/V_{;}$ YOU NEED NOT SOLVE ALL OF THE UNKNOWNS.

A detailed derivation of the transfer function is included here. You begin by defining voltages V_1, V_0 , and V_0 , all referred to ground (**Figure 4**). In this case, I_1, I_2 , and I_p are the minimal number of unknown currents. Because an op amp servos the output to keep the input pins at the same voltage, the potentiometer wiper is at 0V, a virtual ground. Further assume the infinite input impedance of the op-amp input pins so that the current at the inverting pin is 0A. V_1 and V_0 are unknown, letting you write a set of **equations** for the conditions:

$$\begin{split} & V_{l} = I_{l}Z + (I_{l} + I_{p})R_{F} + V_{O} \\ & [Loop\ V_{l} \rightarrow Z\ (input) \rightarrow R_{F}\ (output) \rightarrow V_{O}]; \\ & V_{l} = (I_{2} + I_{p})R_{F} + I_{2}Z + V_{O} \\ & [Loop\ V_{l} \rightarrow R_{F}\ (input) \rightarrow Z\ (output) \rightarrow V_{O}]; \\ & V_{l} = (I_{2} + I_{p})R_{F} + I_{p}X + O \\ & [Loop\ V_{l} \rightarrow R_{F}\ (input) \rightarrow X(P_{l}\ wiper) \rightarrow virtual\ ground]; \\ & O = I_{p}(P_{l} - X) + (I_{p} + I_{l})R_{F} + V_{O} \\ & [Loop\ virtual\ ground \rightarrow P_{l} - X(P_{l}\ wiper) \rightarrow R_{F}\ (output) \rightarrow V_{O}]; \\ & V_{l} = (I_{2} + I_{p})R_{F} + I_{p}P_{l} + (I_{l} + I_{p})R_{F} + V_{O} \\ & [Loop\ V_{l} \rightarrow RF\ (input) \rightarrow P_{l} \rightarrow R_{F}\ (output) \rightarrow V_{O}]. \end{split}$$

Remember that Zis the complex impedance of the RC branches. Now rearrange the **equations**:

$$\begin{array}{c} V_{l}\!\!=\!\!I_{1}(R_{F}\!\!+\!\!Z)\!\!+\!\!I_{P}R_{F}\!\!+\!\!V_{O};\\ V_{l}\!\!=\!\!I_{2}(R_{F}\!\!+\!\!Z)\!\!+\!\!I_{P}R_{F}\!\!+\!\!V_{O};\\ V_{l}\!\!=\!\!I_{2}R_{F}\!\!+\!\!I_{P}(X\!\!+\!\!R_{F});\\ V_{O}\!\!=\!\!I_{P}X\!\!-\!\!I_{1}R_{F}\!\!-\!\!I_{P}(P_{1}\!\!+\!\!R_{F});\\ V_{l}\!\!=\!\!I_{1}R_{F}\!\!+\!\!I_{2}R_{F}\!\!+\!\!I_{P}(P_{1}\!\!+\!\!2R_{F})\!\!+\!\!V_{O}. \end{array}$$

From the first and second **equations** you can deduce that I_1 equals I_2 . You can now substitute into the last three **equations** and rearrange them to get the final set:

$$\begin{array}{c} V_{1} \!\!=\!\! I_{1}(R_{F} \!\!+\!\! Z) \!\!+\!\! I_{p}R_{F} \!\!+\!\! V_{O}; \\ V_{1} \!\!=\!\! 2I_{1}R_{F} \!\!+\!\! I_{p}(P_{1} \!\!+\!\! 2R_{F})V_{O}; \\ I_{1} \!\!=\!\! (I_{p}(X \!\!-\!\! P_{1} \!\!-\!\! R_{F}) -\!\! V_{O})/R_{F}; \\ V_{1} \!\!=\!\! 2I_{1}R_{F} \!\!+\!\! I_{p}(P_{1} \!\!+\!\! 2R_{F}) \!\!+\!\! V_{O}. \end{array}$$

The goal is to find $V_{\mathcal{O}}/V_{\mathcal{I}}$; you need not solve all of the unknowns. If you substitute I_1 from the third **equation** above into the second **equation**, you can find I_p . You then substitute this I_p into the fourth **equation** and find the ratio of $V_{\mathcal{O}}/V_{\mathcal{I}}$, yielding the first **equation** in this Design Idea. This result is congruent with the actual numerical value of the examples in **Reference 1.EDN**

REFERENCE

■ Moy, Chu, "Designing a Pocket Equalizer for Headphone Listening," *HeadWize*, 2002, http://bit.ly/vveL7z.